## Ch. 11 Conics

## Circle

Ellipse
Hyperbola


Parabola



## Examples of Parabolas




> Examples of Parabolas


## GEOMETRIC DEFINITION OF A PARABOLA:

Axis

The set of all points that are equidistant from
a fixed point (called the focus) and a fixed line (called the directrix).


No notes...just read through the information!

## GEOMETRIC DEFINITION OF A PARABOLA:

 parabola is halfway between the focus and the directrix.$$
\begin{gathered}
\text { Equations: } \\
x^{2}=4 p y \\
\text { or } y^{2}=4 p x
\end{gathered}
$$

## Equations are listed on provided formula sheet!

## NOTES: add details to provided formula sheet

## GEOMETRIC DEFINITION OF A PARABOLA:

The vertex of the parabola is halfway between the focus and the directrix.


The focal diameter will help determine if the parabola is wide or narrow.

## Add notes to pink sheet as needed:

Equations and Graphs of Parabolas


# Graph \#11-21odd on front, show work for all other problems on the back. 



Label the focus, vertex, and directrix for the given graphs:
4.
(a) $x^{2}=12 y{ }_{p=3}^{4 p=12}$
(b) $y^{2}=12 x$ $4 p=12$ $p=3$

directrix $x=-3$

$$
\text { vertex }(0,0)
$$

focus $(3,0)$

11-21odd
(a) Find the focus, directrix, focal diameter.
(b) Sketch graph, include all values from part a
11.

directrix $y=-2$

down 2 from vortex
(a) Find the focus, directrix, focal diameter.
(b) Sketch graph, include all values from part a
13. $\mathbf{y}^{2}=-24 x$
$4 p=-24 \quad$ focal diameter

$$
=|-24|=\frac{24}{12+12}
$$


(a) Find the focus, directrix, focal diameter.
(b) Sketch graph, include all values from part a
15. $\boldsymbol{y}=-\frac{1}{8} \boldsymbol{x}^{2} \begin{aligned} & \text { Solve for } \text { ( } x^{2} \text { first }\end{aligned}$

$$
\begin{gathered}
(-8) y=(-8)-\frac{1}{8} x^{2} \\
-8 y=x^{2}
\end{gathered}
$$

(or) $x^{2}=-88 y$

$$
p=-2 \text { focus }(,)
$$

$$
\begin{aligned}
& 4 p=-8 \\
& \text { focal diameter }
\end{aligned}
$$

directrix

